

**PHYS 2170**  
**General Physics 3 for Majors**  
**Fall 2021**

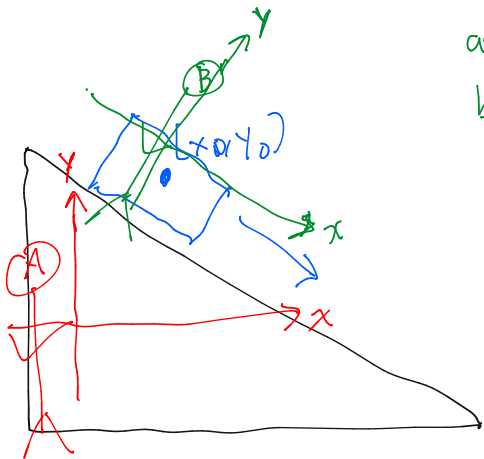
**Lecture 1**  
**Galilean relativity**

August 23

1 Physics is the same in multiple coordinate systems.

as seen  $x_A(t) = x_0 + \frac{1}{2}a_x t^2$   
by A:  $y_A(t) = y_0 + \frac{1}{2}a_y t^2$

as seen,  $x_B(t) = \frac{1}{2}at^2$   
by B:  $y_B(t) = 0$



coordinates are relative

- Same laws of physics  
 $\vec{F} = m\vec{a}$
- what is  $x(t)$ ? depends on A or B.

2

The laws of physics are the same in all inertial reference frames.

$$\vec{F} = m\vec{a}$$

conservation of  
momentum

Moving at  
constant  
velocity

observer/  
coordinate system



What is velocity of C,  
measured by B?  
const. const.

$$V_{C,B} = V_{C,A} - V_{B,A}$$

(relative velocity)

$V_{C,B}$  = constant, so  
if A sees B & C as inertial  
B sees C is inertial

inertial

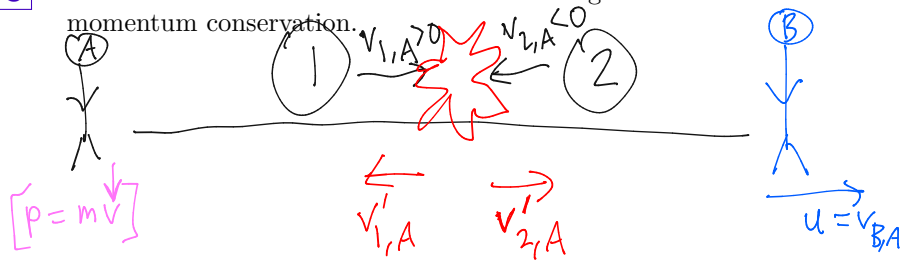


(velocity of B,  
meas. by A)



3

Two observers in different reference frames agree on the law of momentum conservation.



if momentum conserved:

$$p_{1,A} + p_{2,A} = p'_{1,A} + p'_{2,A}$$

$$p_A = m_1 v_{1,A} + m_2 v_{2,A}$$

$$p_B = p_A - (m_1 + m_2)u$$

$$m_1 v_{1,A} + m_2 v_{2,A} = m_1 v'_{1,A} + m_2 v'_{2,A}$$

$$m_1 v_{1,B} + m_2 v_{2,B} = m_1 v'_{1,B} + m_2 v'_{2,B}$$

$$m_1 [v_{1,A} - u] + m_2 [v_{2,A} - u] = m_1 [v'_{1,A} - u] + m_2 [v'_{2,A} - u]$$

A & B both agree  $m\vec{v} = \text{conserved}$ . disagree on momentum ( $p$ )

4

Two observers in different reference frames agree that  $F = ma$ .

observer A:

$$F_1 = m_1 a_{1,A}$$

force on particle 1

$$= m_1 \frac{dv_{1,A}}{dt}$$

empirical:  $m$  &  $F$   
frame-independent  
(invariant)

equiv.

observer B:

$$F_1 \stackrel{?}{=} m_1 a_{1,B}$$

$$a_{1,B} = \frac{d}{dt} v_{1,B}(t)$$

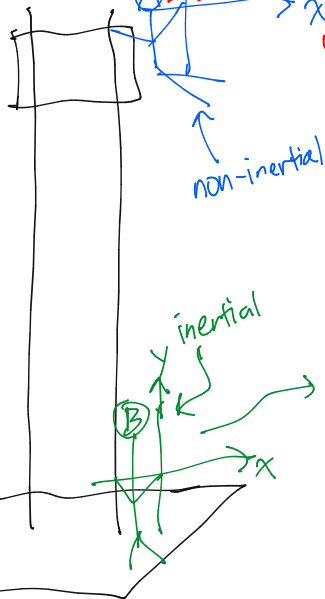
$$= \frac{d}{dt} [v_{1,A}(t) - \underbrace{u}_{\text{const.}}]$$

$$= a_{1,A} - 0$$

$$= a_{1,A}$$

5

What is a non-inertial reference frame? Do the laws of physics stay the same?



$$x_B = x_A$$

$$y_B = y_A + h(t)$$

$$a_{y,B} = a_{y,A} + \frac{d^2 h}{dt^2}$$

$$= a_{y,A} - g$$

$$F_y = m a_{y,B}$$

but

$$F_y \neq m a_{y,A}$$